## HPC Interconnects

- Interconnects allow communication between nodes
- Important attributes of interconnects
- Bandwidth
- How much data can be moved per second
- Latency
- Time to move one byte between nodes
- Cost
- How many ports and network links?
- Power
- Can be significant in terms of overall system power
- Won't discuss in this slide deck


## Diameter

- Motivation
- Would prefer that all nodes are fully connected
- Obviously, this is cost prohibitive and is impractical
- Settle for "few hops", but would also prefer that the number of hops is a constant
- Or at least a slow-growing function of the number of nodes
- To compute diameter:
- Just compute the maximum hop distance between two nodes


## Bisection Bandwidth

- Motivation
- All-to-all communication stresses the network, and can depend on moving data "far across" the network
- Takes into account "bottleneck bandwidth"
- To compute bisection bandwidth:
-1 . Cut network such that the number of nodes is equal, and
-2 . Ensure the cut minimizes the bandwidth between the partitions
- Can do this easily by simply counting the number of links it takes to bisect the network into two partitions
- Means that maximum bisection bandwidth given N nodes is $(\mathrm{N} / 2)^{2}$


## Linear Array

- Not realistic (just for illustration)
- If N nodes, then:
- Diameter is N-1 (remember, worst case)
- Bisection bandwidth is 1 (cut shown)
- Cost:
- N -1 network links



## Ring

- Also not realistic (and just for illustration)
- If N nodes, then:
- Diameter is N/2
- Bisection bandwidth is 2 (two paths through the cut)
- Cost:
- 3 I/O ports per switch, N switches
- (one I/O port is to the node)
- N network links



## Fully Connected

- Also not realistic (and just for comparison)
- If N nodes, then:
- Diameter is 1
- Bisection bandwidth is $(\mathrm{N} / 2)^{2}$
- Have to cut half of the links from a node to disconnect
- Cost (yikes):
- N ports/switch, N switches
- Completely unrealistic; no switch has, say, thousands of ports
- $\mathrm{N}^{*}(\mathrm{~N}-1) / 2$ network links


## 2D Mesh

- People have actually used meshes in HPC systems - A decade or two ago
- If N nodes, then:
- Diameter is $2 *(\sqrt{N}-1)$
- Bisection bandwidth is $\sqrt{N}$
- Cost:
- 5 ports per switch, N switches


Source for image: Wikipedia

- $\sqrt{N} *(\sqrt{N}-1) * 2$ network links


## 2D Torus

- People have actually used 2D torii in HPC systems - Not that long ago, though now they're 3D
- If N nodes, then:
- Diameter is $\sqrt{N}$
- Bisection bandwidth is $2 * \sqrt{N}$
- Have to cut the wraparound links also
- (In addition to the links as for the 2D Mesh)


Source for image: Wikipedia - Cost:

- Same as 2D mesh, except an additional $2 * \sqrt{N}$ wrap links
- The wraparound links really do help


## Hypercube

- People have actually used hypercubes in HPC systems
- Couple decades ago
- If N nodes $\left(\mathrm{N}=2^{\mathrm{k}}\right)$, then:
- Diameter is $\log (\mathrm{N})=\mathrm{k}$
- Bisection bandwidth is $\mathrm{N} / 2=2^{\mathrm{k}-1}$
- Must cut all links between cubes
- Cost:


Source for image: Wikipedia

- $\mathrm{k}+1$ ports/switch (k-dimensional cube), N switches
- O(N) network links 16 nodes $\rightarrow 32$ links; 32 nodes $\rightarrow 80$ links; 256 nodes $\rightarrow 1024$ links


## Tree

- People have actually used trees in HPC systems - Today!
- If N nodes and direct connection from node to leaf switch, then:
- Diameter is $\log (\mathrm{N})$
- Bisection bandwidth is 1
- Cost:


Source for image: Wikipedia

- 3 ports per switch, N switches
- O(N) network links
- How can this possibly be a good idea, given that the bisection bandwidth is the same as a bus?


## Fat Tree

- Same as a tree, except extra links going up tree: - Bandwidth increases (usually doubles) as you move up - Still have a single logical link across the bisection cut:
- But given that the bandwidth doubles, this isn't a problem - Diameter is still $\mathrm{O}(\log (\mathrm{N}))$
- Constant in big-O is dependent on number of levels of tree - Bisection bandwidth depends on number of links
- N nodes and bandwidth doubling results in bisection bandwidth of N/2



## Dragonfly

- Dragonfly exists in current HPC systems
- If N nodes, then:
- Diameter is 5 (note: independent of N )
- This assumes static routing
- Bisection bandwidth is complicated
- Depends on the number of nodes in a group, number of groups, number of links between groups
- Definitely lower than fat tree



## Routing

- Two extremes
- Shortest path
- Fully adaptive
- Take traffic into account and "route around it", like the Internet
- Many points in between the two extremes
- Example: Dragonfly has adaptive routing with "minimal path bias" levels.
- As message gets closer to destination, increase bias for taking shortest path by some amount
- Must worry about deadlock
- Fully adaptive routing could fail to deliver message

